



When Can We Answer Queries Using Result-Bounded Data Interfaces?

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Problem: Answering Queries Using Web Services

Directory service DBLP service



Find **researchers** from a department from a researcher



Find papers

• We have several Web services that expose data

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Query



Find all papers from a department from a researcher written by researchers from my **department**?

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- We have several Web services that expose data
- We want to answer a query using the Web services
- → How can we **rephrase** the query against the Web services?

Service schema:



• Model each service as a relation

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author	title	year
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Query: conjunctive query over the relations



Find all papers written by researchers from my department?

Q(t): $\exists a y \text{ Directory}(MyDept, a) \land DBLP(a, t, y)$

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 $\mathit{Q}(t):\exists \mathit{a}\,\mathit{y}\;\mathsf{Directory}(\mathsf{MyDept},\mathit{a})\land\mathsf{DBLP}(\mathit{a},\mathit{t},\mathit{y})$

Constraints: express logical relationships between the services



Every researcher from the directory is in DBLP

 $\Sigma: \forall d \ a \ \mathsf{Directory}(d, a) \to \exists t \ y \ \mathsf{DBLP}(a, t, y)$

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What is a monotone plan?

- Access the **services** by giving **bindings**
- Evaluate monotone relational algebra
- The plan is correct if it returns Q(D)
 on any database D that satisfies Σ

Example:

Return T_3

 $T_1 \Leftarrow \text{Directory} \Leftarrow \text{MyDept};$ $T_2 \Leftarrow \text{DBLP} \Leftarrow \pi_{\text{person}}(T_1);$ $T_3 \Leftarrow \pi_{\text{title}}(T_2);$

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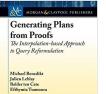
Example:

 $T_1 \Leftarrow \text{Directory} \Leftarrow \text{MyDept};$

 $T_2 \leftarrow \text{DBLP} \leftarrow \pi_{\text{person}}(T_1);$

 $T_3 \Leftarrow \pi_{\text{title}}(T_2);$

Return **T**₃



Extensive literature about how to reformulate queries to monotone plans and about the **complexity** depending on the constraint language

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Currently the following URL query parameters are recognized:

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q	The query string to search for.
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Formalization: DBLP(author, title, year) has a result bound of 1000

- If an access matches \leq 1000 tuples then they are all returned
- If it matches > 1000 tuples then we get 1000 of them (random)
- ightarrow How to reformulate queries using result-bounded services?

Formal Problem Statement

Input:

- Service schema S of relation names and attributes with <u>input attributes</u> and optionally a <u>result bound</u>
 - → Directory(department, person)
 - \rightarrow DBLP(author, title, year) with bound 1000
- Conjunctive query Q
 - $\rightarrow Q(t)$: $\exists a y \text{ Directory}(MyDept, a) \land DBLP(a, t, y)$
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We study:

- → What is the **complexity** of deciding plan existence, depending on the constraint language?
- → In which ways are result-bounded services useful?

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Fragment	Simplification	Complexity
Inclusion dependencies (IDs) Bounded-width IDs	Existence-check Existence-check	EXPTIME-complete NP-complete
Functional dependencies (FDs) FDs and UIDs	FD Choice	NP-complete NP-hard, in EXPTIME
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 \rightarrow Let's see the **schema simplification results** and proof techniques $_{7/36}$

Idea: use result-bounded services to check the existence of tuples

- Schema: DBLP(author, title, year) with bound 1000
- Query Q: Has Michael Benedikt published something?
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- For each relation DBLP(<u>author</u>, title, year) with a result bound, create a new relation DBLP_{check}(<u>author</u>)
- Add two IDs in Σ to relate ${\sf DBLP}_{\sf check}$ and ${\sf DBLP}$:

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- Forbid direct accesses to DBLP (so the result bound is irrelevant)

Existence-Check Simplification Results

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Any schema S with constraints Σ in Inclusion dependencies (IDs) is existence-check simplifiable

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→ Under IDs, result-bounded services only serve as **existence checks**

As the existence-check approximation has **no result bounds**, we can reduce to the classical setting and deduce:

Corollary

For any schema **S** with result bounds, **ID** constraints Σ , and query **Q**, deciding the existence of a monotone plan is **EXPTIME-complete**

FD Simplification

Result-bounded services can **do more** than existence checks:

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- For each relation Dir2(<u>name</u>, address, phone) with result bound, create a new relation Dir2_{FD}(<u>name</u>, address) that outputs the attributes determined in Σ by the input attributes
- Forbid accesses on Dir2 and add IDs with Dir2_{FD} like before $\forall n \ a \ \text{Dir2}_{\text{FD}}(n,a) \leftrightarrow \exists p \ \text{Dir2}(n,a,p)$

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Again, there are **no result bounds** left in the FD approximation, so we can use this result to show:

Corollary

For any schema S with result bounds, FD constraints Σ , and query Q, deciding the existence of a monotone plan is NP-complete

Choice Simplification

With expressive constraints, the FD approximation is not enough:

Lemma

There is a service schema S, query Q, and $TGDs \Sigma$ such that Q is not FD-simplifiable (hence, not existence-check-simplifiable)

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A less drastic simplification is the **choice simplification**:

- For every service with a result bound, change the bound to be 1
- → Intuition: It's important to get some tuple if one exists

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For any schema $\bf S$ with result bounds, query $\bf Q$, and $\bf FGTGDs$ $\bf \Sigma$ deciding the existence of a monotone plan is $\bf 2EXPTIME\text{-}complete$

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We can also show choice approximability for another fragment:

Theorem

Any schema S with constraints Σ that are FDs and $unary\ IDs$ (UIDs) is choice simplifiable

 \rightarrow This implies that plan existence is **decidable** for FDs and UIDs

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- Reduce to query containment under constraints
 - ightarrow Study the result of the translation to show complexity bounds

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- Results when the database is assumed to be finite
- Results for non-monotone plans (= with relational difference)
- Example of FO constraints that are **not choice simplifiable**

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References



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